

Reliability Driven Task Scheduling for Heterogeneous Systems *

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ABSTRACT

In recent years, more and more heterogeneous processor cores are embedded into a single chip. To deploy such heterogeneous embedded systems in critical applications, e.g., aircraft control, battleship missile launches, nuclear plant safe operations, etc., an important research problem is how to maximize system reliability while satisfying the required time constraint. Therefore, a scheduling scheme is needed to exploit the heterogeneity of a system and satisfy both the reliability requirement and the given time constraint. In this paper, we study the heterogeneous reliability scheduling problem, i.e., given a heterogeneous system, a Directed Acyclic Graph (DAG) that models an application and a time constraint, find a schedule for the DAG so that the system reliability can be maximized and the time constraint can be met. To solve this problem, two heuristic algorithms, MCMS and PRMS, are proposed. The experimental results show that our algorithms can improve system reliability significantly. Among them, PRMS has the best performance and the improvement of reliability can be up to 30%.

KEY WORDS

heterogeneous system, scheduling, reliability

1 Introduction

Embedded systems are widely deployed in various scientific, commercial and military applications. For critical applications, such as aircraft control, battleship missile launches and nuclear plant safe operations, one of the most important requirements is to achieve maximum system reliability, i.e., to minimize the failure rate of a system during executing an application. Therefore, an effective scheduling scheme is necessary to schedule tasks and allocate resources in such a way that the system reliability is maximized while the required time constraint is satisfied. In recent years, many heterogeneous processor cores are integrated into one single chip in the embedded system design. To deploy these heterogeneous embedded systems in critical or military applications, a new scheduling approach is needed to exploit the heterogeneity of such heterogeneous systems and satisfy the requirements of both performance and reliability. In this paper, we study the heterogeneous reliability scheduling problem, i.e., given a heterogeneous system, a Directed Acyclic Graph(DAG) that models an application and a time constraint, find a schedule for the DAG so that the system

reliability can be maximized and the time constraint can be satisfied.

In general task scheduling problems, the scheduling of a DAG determines that the start time of each node must satisfy the dependency relations in the DAG [1]. If there are resource constraints, the number of nodes of a given type whose execution can overlap in time is limited by the number of resources. If the task scheduling algorithm targets at heterogeneous systems, more restrictions and complexities are introduced.

There has been much research work done in scheduling problems in heterogeneous systems. In [2] and [3], Topcuoglu et al. propose two algorithms to schedule tasks in a heterogeneous environment. Both of them use the critical path to prioritize tasks first, and then schedule them. In [4], a scheduling algorithm based on dynamic critical paths is studied. In [5], an algorithm which considers both clustering of communicating tasks and assigning clusters to different sites in the system is discussed. In [6], a hybrid scheduling method is proposed, which consists of a mapping before execution and a remapping based on run-time values during execution. However, in the above algorithms, little attention has been paid to the reliability issue.

Recently, some research work has begun to address the scheduling problems with reliability optimization. In [7], a reliability model for general heterogeneous computer systems is established and several algorithms to solve the scheduling problem using this model are investigated. In [8], more investigations have been done based on similar models to solve fault-tolerance as well as reliability problems in heterogeneous systems. In [9], two cost functions are introduced to guide the scheduling algorithms to reduce the effect caused by the resource failure. In [10], three incremental cost functions are defined and scheduling algorithms based on these functions are developed. In [11], an algorithm on reliability and fault-tolerance in heterogeneous systems are introduced.

This paper focuses on heterogeneous systems and addresses scheduling problems with reliability maximization. In this paper, scheduling means both task scheduling and resource allocation. To solve the heterogeneous reliability scheduling problem, we propose two heuristic algorithms, *MCMS* (Minimum Cost Match Schedule) and *PRMS* (Progressive Reliability Maximization Schedule). *MCMS* constructs a bipartite matching graph and schedules tasks to processors according to the min-cost maximum bipartite matching so that the overall system reliability is increased as much as possible. *PRMS* improves system reliability progressively based on a schedule obtained from the *ALAP*

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scheduling. We have conducted experiments using our algorithms against a set of benchmarks. The results show that our algorithms can improve the system reliability significantly. Compared with the traditional List scheduling, our algorithms can reduce the reliability cost up to 30% while satisfying the given time constraint. Compared with an existing algorithm, eFRCD in [11], our algorithms succeed in most cases and provide significant improvement in reliability while eFRCD works only with large time constraints.

The rest of the paper is organized as follows: Section 2 presents the definitions and models. Our algorithms, MCMS and PRMS, are given in Section 3. Experimental results are provided and analyzed in Section 4. Section 5 concludes this paper.

2 Definitions and Models

In this section, we introduce the basic concepts and models that will be used in later sections.

2.1 Definitions

A heterogeneous system consists of a certain number of heterogeneous processor elements (PEs). Assume there is a system with M PEs, we use a set $P = \{P_1, P_2, \dots, P_M\}$ to denote all its PEs. A matrix D is used to represent the communication delay among all processors, where Entry d_{kb} represents the delay involved in sending a message of unit length from P_k to P_b . A Directed Acyclic Graph (DAG) is used to model an application. A DAG $G = \langle V, E, C, W \rangle$ is a node-weighted and edge-weighted directed graph, where $V = \langle u_1, u_2, \dots, u_n \rangle$ is the set of nodes, with each node representing a task, $E \subseteq V \times V$ is the weighted edge set that defines the precedence relations among nodes in V , the weight on each edge, $w_{ij} \in W$, represents the volume of data being transmitted from node u_i to node u_j , $C = \langle c_1, c_2, \dots, c_n \rangle$ is the set of criticality of the corresponding task nodes. Criticality is the parameter to represent how critical a node is. The higher its criticality is, the more critical a task is. For each node $u_i \in V$, $T(u_i)$ is used to represent its computation time on each PE: $T(u_i) = \{t_1(i), t_2(i), \dots, t_M(i)\}$ where $t_j(i)$ denotes the computation time of u_i on P_j .

2.2 Reliability Model

Reliability is defined to be the probability that the system will not fail during the time that it is executing the tasks. Consider a heterogeneous system with M PEs, $P = \{P_1, P_2, \dots, P_M\}$, and a DAG containing N nodes, $\{u_1, u_2, \dots, u_N\}$. Let $t_j(i)$ be the computation time of node u_i for PE P_j . Let f_j be the failure rate of PE P_j . Let g_{kb} be the failure rate of the communication link from P_k to P_b . Let w_{ij} be the volume of data that task u_i needs to send to task u_j . Let d_{kb} be the delay to send a unit length data from P_k to P_b . Let X_{ij} be a binary number that denotes whether task u_i is assigned to P_j , 1, for assigned, 0, for not assigned.

The probability of the system not to fail is:

$$Pr = \prod_{j=1}^M \prod_{i=1}^N (1 - f_j)^{X_{ij} t_j(i)} \bullet \prod_{k=1}^M \prod_{b=1}^M \prod_{i=1}^N \prod_{j=1}^N (1 - g_{kb})^{X_{ik} X_{jb} w_{ij} d_{kb}}$$

where the first part of the formula stands for the probability of tasks not to fail while executing and the latter part represents the probability of the communications between tasks not to fail. When f_j and g_{kb} are small,

$$Pr \approx \prod_{j=1}^M \prod_{i=1}^N (e^{-f_j X_{ij} t_j(i)}) \bullet \prod_{k=1}^M \prod_{b=1}^M \prod_{i=1}^N \prod_{j=1}^N (e^{-g_{kb} X_{ik} X_{jb} w_{ij} d_{kb}})$$

In order to maximize Pr , we see from the above equation that we need to minimize:

$$\sum_{j=1}^M \sum_{i=1}^N f_j X_{ij} t_j(i) + \sum_{k=1}^M \sum_{b=1}^M \sum_{i=1}^N \sum_{j=1}^N g_{kb} X_{ik} X_{jb} w_{ij} d_{kb}$$

In our model, we add each node's criticality as a weight factor to the first part of the above expression and we define Reliability Cost as follows:

$$RC = \sum_{j=1}^M \sum_{i=1}^N f_j X_{ij} c_i t_j(i) + \sum_{k=1}^M \sum_{b=1}^M \sum_{i=1}^N \sum_{j=1}^N g_{kb} X_{ik} X_{jb} w_{ij} d_{kb}$$

To calculate the impact of each task to the system reliability cost when it is scheduled on a PE, R_{ij} is used to denote the reliability cost for u_i to be scheduled on P_j . Let $Pred(i)$ be the set which includes all u_i 's predecessors, R_{ij} can be expressed as follows:

$$R_{ij} = f_j c_i t_j(i) + \sum_{p \in Pred(i)} \sum_{k=1}^M g_{kj} X_{pk} w_{pi} d_{kj}$$

Therefore,

$$RC = \sum_{i=1}^N \sum_{j=1}^M X_{ij} R_{ij}$$

Thus, to maximize system reliability, we need to minimize the Reliability Cost. In this paper, we will use the "Reliability Cost" as the indicator of how reliable a given system is when a group of tasks are assigned to it. The lower the reliability cost is, the higher the reliability is.

2.3 Problem Description

We define the heterogeneous reliability scheduling problem as follows: given a heterogeneous system with M PEs, $P = \{P_1, P_2, \dots, P_M\}$, a DAG $G = \langle V, E, C, W \rangle$ where $V = \langle u_1, u_2, \dots, u_N \rangle$, $C = \langle c_1, c_2, \dots, c_N \rangle$, $T(u_i) = \{t_1(i), t_2(i), \dots, t_M(i)\}$ and a time constraint L , find a task

schedule for G such that the Reliability Cost is minimized within L.

An example is shown in Figure 1 and Figure 2. Assume there is a heterogeneous system that consists of 2 heterogeneous PEs, P1 and P2. The failure rate of P1 is 0.001 and that of P2 is 0.003. The failure rate of the communication links between the PEs is 0.001 for both directions. The delay of a unit-length message on both links are 20 time units. These values are shown in the matrix of figure 1(c). An exemplary DAG is shown in figure 1(a). The given time constraint for the DAG to be executed is 500 time units. Assume the message volume sent between tasks is negligible except for the message from task 2 to task 5 (2 units) and from task 4 to task 5 (3 units). The execution time and reliability cost of each node for different PEs are shown in figure 1(b). In Figure 1(b), T_i denotes the execution time and R_i denotes the first part of the reliability cost $R_{i,j}$. The criticality of all nodes are assumed to be 10. Two schedules for the DAG are shown in Figure 2. In Schedule 1, the schedule length is 490 time units and its system reliability cost is 10.64. In Schedule 2, the schedule length is 500 time units and its system reliability cost is 9.5. Both schedules satisfy the time constraint while the latter has a lower reliability cost. This example shows that different task schedules will produce different system reliability cost. In the next section, two scheduling algorithms are proposed to reduce the system reliability cost.

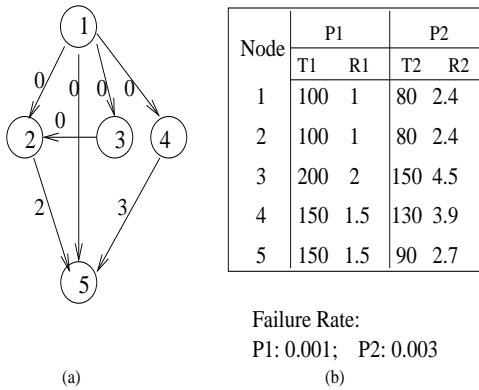


Figure 1. (a) A DAG. (b) Computation time of tasks. (c) The communication delays between the PEs

3 Scheduling Algorithms

Scheduling problems with time and resource constraints are well-known to be NP complete. As stated in section 2, we

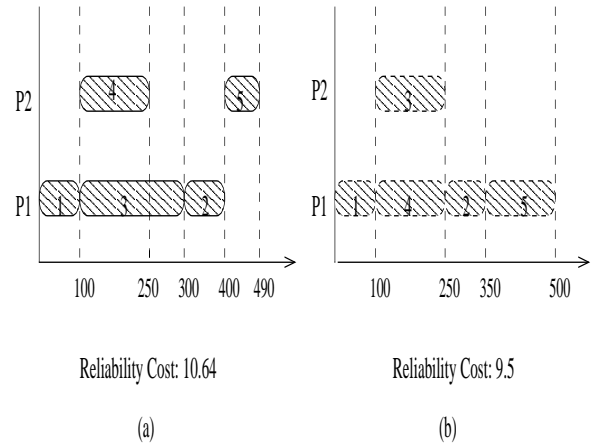


Figure 2. (a) Schedule 1. (b) Schedule 2.

are going to solve a scheduling problem with time and resource constraints in a heterogeneous system and minimize the reliability cost of the system at the same time. Therefore, our problem is also NP complete. In this section, two heuristic algorithms, MCMS and PRMS, are developed to solve this problem. MCMS uses a bipartite matching strategy based on ALAP scheduling and PRMS uses a progressive relaxation strategy based on ALAP scheduling. Some symbols used in our algorithms are listed in Table 1.

Symbol	Meaning
Min	Minimum reliability cost for the current task
EST_i	Earliest starting time for task i
LST_i	Latest starting time for task i
FT_i	Finish time of task i
SL_j	Schedule length for PE j
X_i	The PE task i is scheduled on
RelbCost	Overall reliability cost for the system

Table 1. Symbols

3.1 Task Scheduling Using Bipartite Matching

MCMS (Minimum Cost Match Schedule) is designed to use the bipartite matching strategy to schedule tasks. The idea is: first, use the ALAP scheduling, which minimizes the schedule length, to get the latest starting time for every node. Then construct a bipartite matching graph with the nodes in the ready list in one set and all PEs in the other set. Then reschedule nodes based on the minimum-cost-bipartite-matching. This algorithm is shown in Algorithm 3.1. V_1 and V_2 in the algorithm represent the two sets used in the bipartite matching.

This algorithm first schedule all nodes using the ALAP scheduling. Based on the schedule, we use the bipartite matching to schedule nodes. For each PE, among those nodes not marked by matching, the node with the earliest start time is considered: if it has no dependency con-

Algorithm 3.1 MCMS (Minimum Cost Match Schedule)

Input: a DAG $G = \langle V, E, C, W \rangle$, a set of PEs P , a time constraint L **Output:** A task scheduling with reliability improvement

```
for all  $u_i \in V$  do
   $EST_i \leftarrow$  starting time of node  $i$  in ASAP;
   $LST_i \leftarrow$  starting time of node  $i$  in ALAP;
   $FT_i \leftarrow$  Finish time of node  $i$  in ALAP;
end for
for all  $P_j \in P$  do  $SL_j \leftarrow 0$ ;
 $RelbCost \leftarrow 0$ ;
while  $\exists$  nodes not marked do
  for all  $P_j \in P$  do
    if the first node in  $P_j$  has no dependency constraint then put it
    into  $V_1$ ;
    put  $P_j$  into  $V_2$ ;
  end for
  construct a weighted bipartite matching graph  $G_{BM} = \langle V_{BM}, E_{BM} \rangle$ ;  $V_{BM} = V_1 \cup V_2$ ;
  for all  $u_i \in V_1$  do
    for all  $P_j \in V_2$  do
      compute  $R_{ij}$ ;
      add an edge  $e_{ij}$  between  $u_i$  and  $P_j$  into  $E_{BM}$ ;
      if  $SL_j + t_j(i) +$  communication delay  $\leq FT_i$  then set  $R_{ij}$  as
      the edge weight;
      else set the edge weight as infinity;
    end for
  end for
   $M \leftarrow$  minimum-cost-bipartite-matching for nodes in  $G_{BM}$ ;
  for all  $e_{ij}$  in the matching  $M$  do
    mark  $u_i$  as scheduled;  $X_i \leftarrow$  the matching  $P_j$ ;
     $RelbCost \leftarrow R_{ij} + RelbCost$ ;
     $SL_{X_i} \leftarrow \max(EST_i, SL_j) + t_{X_i}(i)$ ;
    Add the communication delay to  $SL_{X_i}$ ;
    for all  $u_k$  which is a dependent of  $u_i$  do
      update the dependence information for  $u_k$ ;
      if  $EST_k < SL_{X_i}$  then  $EST_k \leftarrow SL_{X_i}$ ;
    end for
  end for
end while
```

straint at that time, it's inserted into the ready list. A bipartite matching graph is constructed as follows: all nodes from the ready list are on one side, denoted by a set V_1 , and all PEs are on the other side, denoted by a set V_2 . Each node, u_i , in V_1 has an edge connected with each PE, P_j , in V_2 . If the schedule length of the PE plus the node's computation time is less than the finish time of the node in ALAP, the edge weight is set to the reliability cost R_{ij} . Otherwise, the edge weight is set to be infinity. After constructing the graph, call the minimum-cost-bipartite-matching function to get a minimum cost bipartite matching. Since the edge weight is set to the reliability cost, the matching produced by the function minimizes the reliability cost in each scheduling step. After a match is found, schedule the tasks on the corresponding PEs, mark the node and update their descendants' information, i.e. dependence constraints and earliest starting time, recursively. Repeat this process until there is no more node to be rescheduled. Because the processor selection for a node is limited by the finish time in the ALAP, the node can at least be scheduled on the same processor as ALAP. Thus, as long as there is an ALAP schedule for the graph, this algorithm won't fail to produce a schedule for all the tasks. As the reliability cost is the matching factor in the bipartite matching, the reliability is improved over the list scheduling algorithm.

3.2 Progressive Relaxation Strategy

PRMS(Progressive Reliability Maximization Schedule) progressively improves the reliability based on the schedule obtained by the ALAP scheduling. The idea is to reschedule each node to reduce the system reliability cost as much as possible. It is shown in Algorithm 3.2.

After the initialization, this algorithm first obtains an ALAP schedule for all the tasks in the graph. Then repeat the following steps until all nodes are marked: among all nodes that are not marked, take the node with earliest starting time and reschedule it to a PE such that the system reliability cost is minimized. A node can only be rescheduled to a PE if its finish time is earlier than that in ALAP and the task doesn't overlap with other tasks remaining in the ALAP schedule. The choice of the node is made this way because the remaining nodes can always be scheduled within the time constraint as long as the ALAP schedule exists for this task graph. After this task is scheduled, mark the node, update the dependence constraint information and the earliest start time for all its descendants recursively, update the system reliability cost and the schedule length, then continue this process until all nodes are marked.

Algorithm 3.2 PRMS (Progressive Reliability Maximization Schedule)

Input: a DAG $G = \langle V, E, C, W \rangle$, a set of PEs P , a time constraint L **Output:** A task schedule with reliability improvement

```
for all  $u_i \in V$  do
   $X_i \leftarrow -1$ ;
   $EST_i \leftarrow$  starting time in ASAP;
   $LST_i \leftarrow$  starting time in ALAP;
   $FT_i \leftarrow$  finish time in ALAP;
end for
for all  $P_j \in P$  do  $SL_j \leftarrow 0$ ;
 $RelbCost \leftarrow 0$ ;
while  $\exists$  nodes not marked do
   $Min \leftarrow \infty$ ;
  take the node,  $u_i$ , with minimum  $LST_i$  and not marked;
  for all  $P_j \in P$  do
    compute  $R_{ij}$ ;
    if  $SL_j + t_j(i) +$  communication delay  $\leq FT_i$  then
      if  $R_{ij} < Min$  then  $Min \leftarrow R_{ij}$ ;  $X_i \leftarrow j$ ;
      if  $R_{ij} = Min$  then  $X_i \leftarrow$  the PE with earlier finish time;
    end if
  end for
  mark  $u_i$  as scheduled;
   $RelbCost \leftarrow Min + RelbCost$ ;
   $SL_{X_i} \leftarrow \max(EST_i, SL_{X_i}) + t_{X_i}(i)$ ;
  Add the communication delay to  $SL_{X_i}$ ;
  for all  $u_k$  which is a dependent of  $u_i$  do
    update the dependence information for  $u_k$ ;
    if  $EST_k < SL_{X_i}$  then  $EST_k \leftarrow SL_{X_i}$ ;
  end for
end while
```

4 Experiments

To evaluate the performance of our algorithms, we conducted experiments using our algorithms against a set of benchmarks, including the 2-stage lattice filter, the 8-stage lattice filter and the differential equation solver. We compared our algorithms with the traditional list scheduling and the eFRCD described in [11].

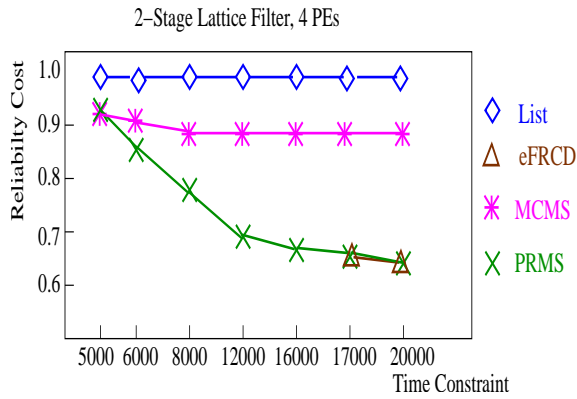


Figure 3. Performance Comparison for 2-stage lattice filter (4 PEs)

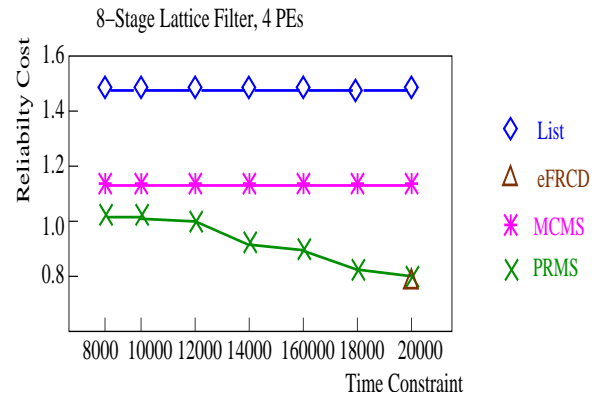


Figure 5. Performance Comparison for 8-stage lattice filter (4 PEs)

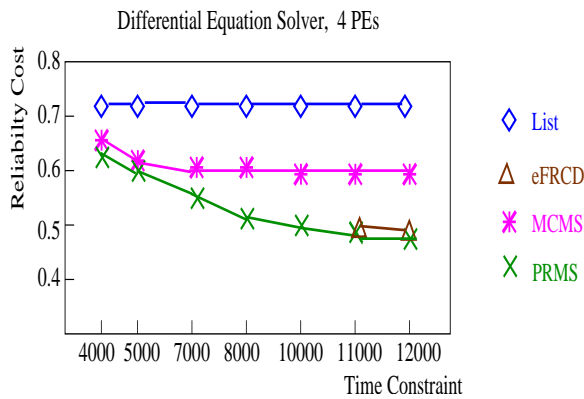


Figure 4. Performance Comparison for differential equation solver (4 PEs)

To create the heterogeneous environment, we conducted 2 sets of simulations, one uses 4 PEs and the other uses 6 PEs. In our experiments, each of the PEs is assigned a distinct failure rate chosen from 0.000005 to 0.000015. For the task graphs, we set the computation time of each task in the benchmarks as a value chosen from 100 to 1500. Each of the communication links between PEs is assigned a failure rate chosen from 0.000005 to 0.000015. The unit message delay of the links is chosen from 1 to 10. The message volume between 2 tasks is set to a value from 0 to 8.

Two main measurements to evaluate the scheduling algorithms are the time constraint and the reliability cost. The former indicates whether the schedule produced by the algorithm meets the constraint in the time domain, while the latter indicates how reliable it is to schedule the given tasks in the system. The values of both parameters are recorded and compared with each other in all four algorithms we used in the simulations. The comparison of the results is shown in Figure 3 through Figure 8.

Figure 3 through Figure 5 show the experimental results using all scheduling algorithms and the 4 benchmarks we mentioned above with 4 PEs. Figure 6 through Figure

8 show the experimental results using all scheduling algorithms and the same benchmarks with 6 PEs. In all figures, the x-axis represents the time constraint and y-axis represents the reliability cost. "List" represents the traditional list scheduling without consideration of system reliability. "eFRCD" represents a scheduling algorithm developed in [11]. "MCMS" and "PRMS" are our algorithms described in Section 3.

From the simulation results, we can see that all of our algorithms improve the system reliability over the traditional list scheduling algorithm. Among them, PRMS gives the best performance. It improves the reliability significantly when the time constraint is large. If the time constraint is short, it still improves the system reliability while meeting the constraint.

Comparing the results of our algorithms to the results of eFRCD, we can find that the eFRCD is very easy to fail if the given time constraint is short. MCMS can always improve the reliability as long as there exists a schedule by the ALAP scheduling. The improvement is not as significant as PRMS when the time constraint is large. This is because the algorithm always tries to use all available processors in each step, while PRMS schedules one node in each step and avoid processors with high failure rate if possible. PRMS has the best performance among all algorithms. It always improves the reliability while the probability to fail is small.

5 Conclusion

In this paper, the heterogeneous reliability scheduling problem, with the goal to achieve the maximum system reliability while satisfying a given time constraint, is addressed. Two heuristic scheduling algorithms, MCMS and PRMS, are proposed. Both of them improve the reliability of the heterogeneous system while solving this scheduling problem. For graphs with different topologies, they may produce different results. Overall, PRMS gives the best performance.

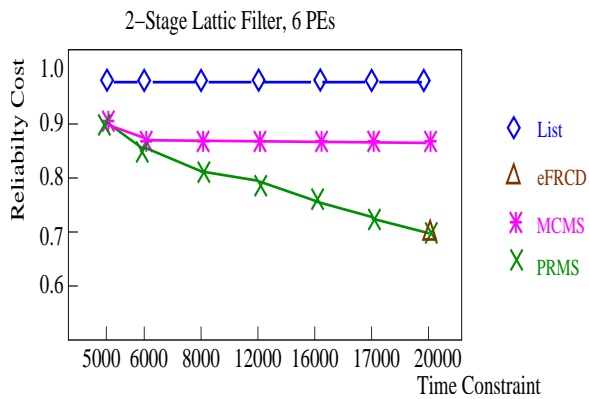


Figure 6. Performance Comparison for 2-stage lattice filter (6 PEs)

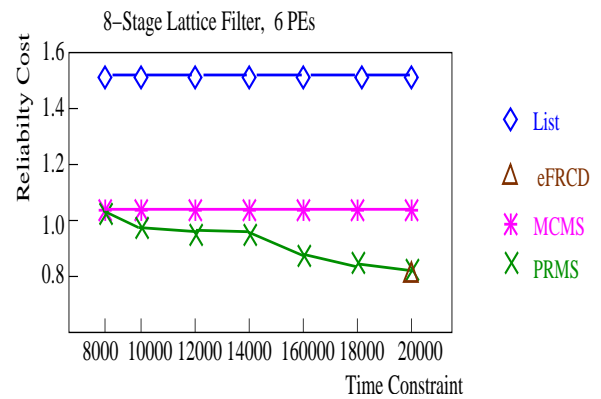


Figure 8. Performance Comparison for 8-stage lattice filter (6 PEs)

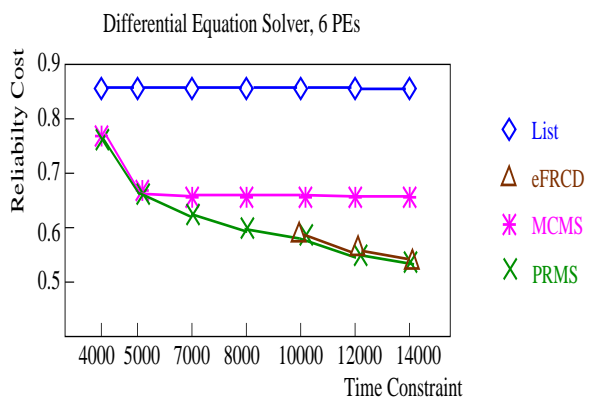


Figure 7. Performance Comparison for differential equation solver (6 PEs)

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